



Observation of Single Top Quark Production at DØ

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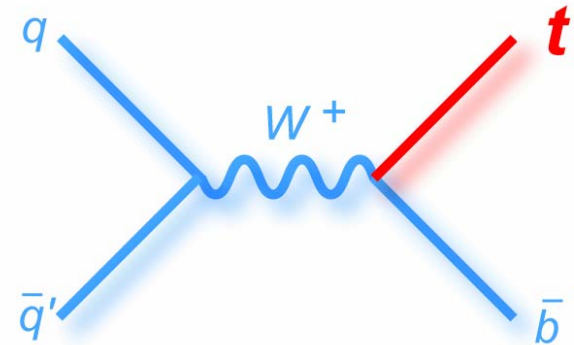
On Behalf of the DØ collaboration

Single Top Quark Production

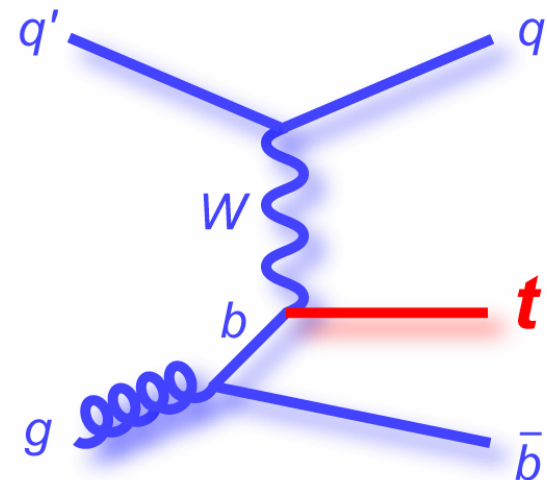
Single top electroweak interaction

- **Study Wtb coupling**
 - Direct measurement of the $|V_{tb}|$ CKM matrix element
 - Test of CKM unitarity
 - Anomalous Wtb couplings
- **New physics, example:**
 - s-channel is sensitive to W' , H^+
 - t-channel is sensitive to FCNC
 - 4th quark generation?
- **Study top properties:**
 - Polarization, decay width, lifetime, CP violation ...
- **Experimental:**
 - Test of advanced searching techniques
 - Background study helps new physics searches, e.g. SM Higgs
 - Same final state as WH

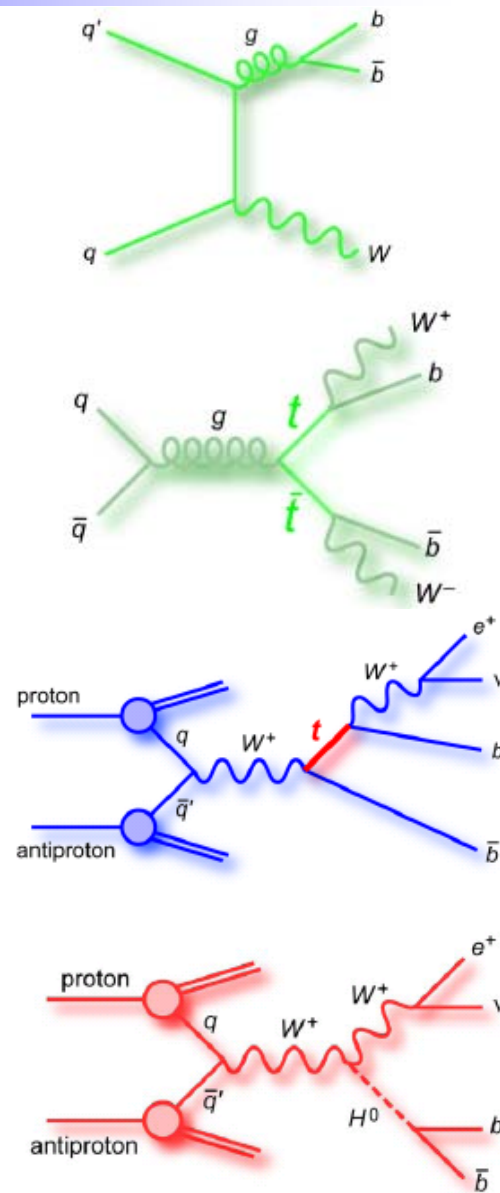
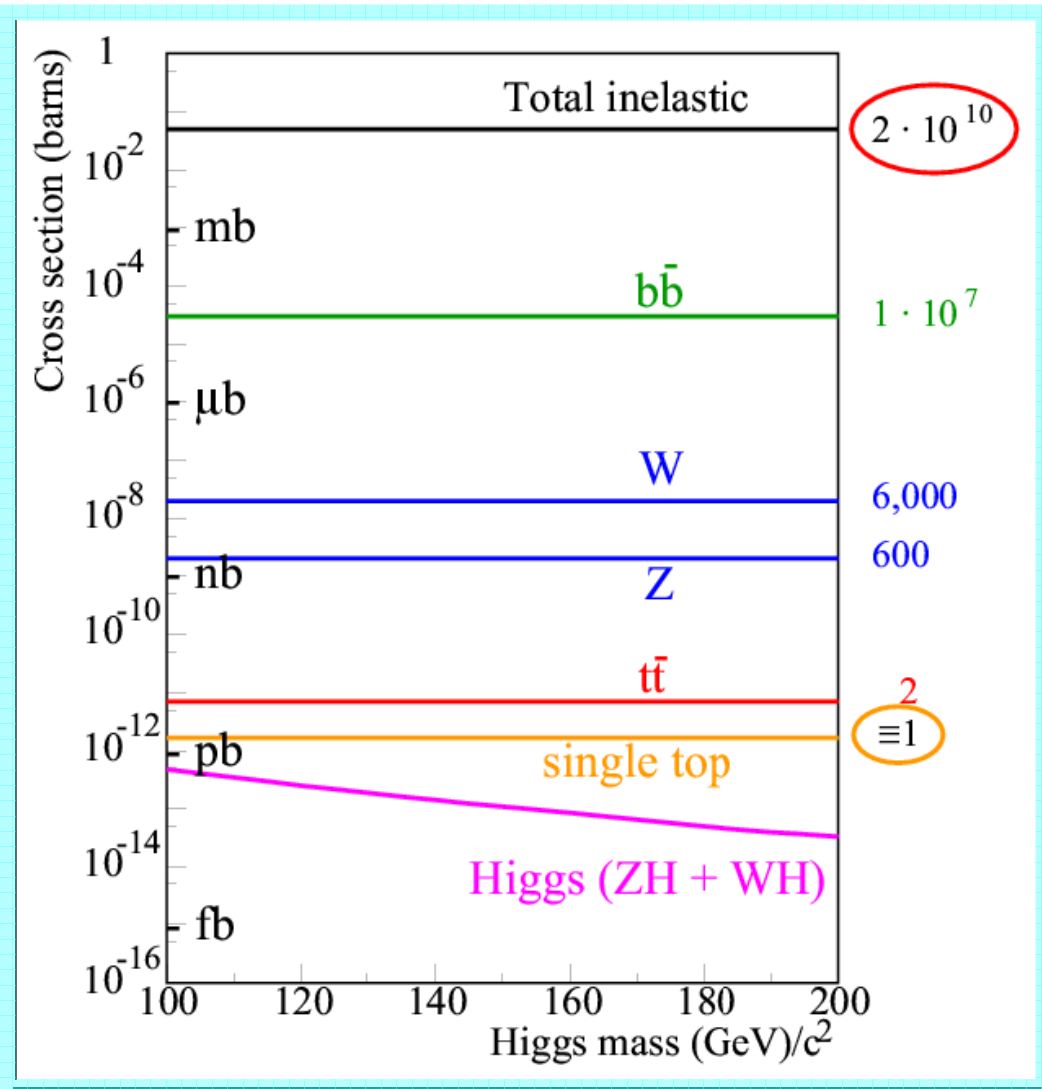
s-channel $\sigma_{SM}=1.12\pm 0.05$ pb



t-channel $\sigma_{SM}=2.34\pm 0.13$ pb

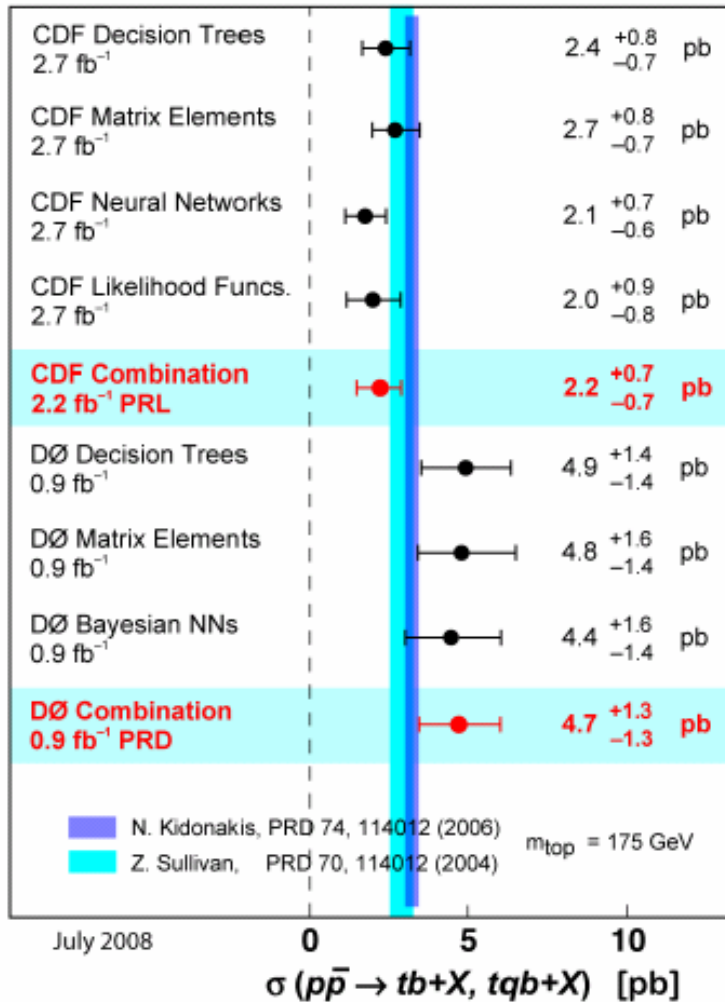


Experimental Challenge



Previous Results: Evidence for Single Top Production

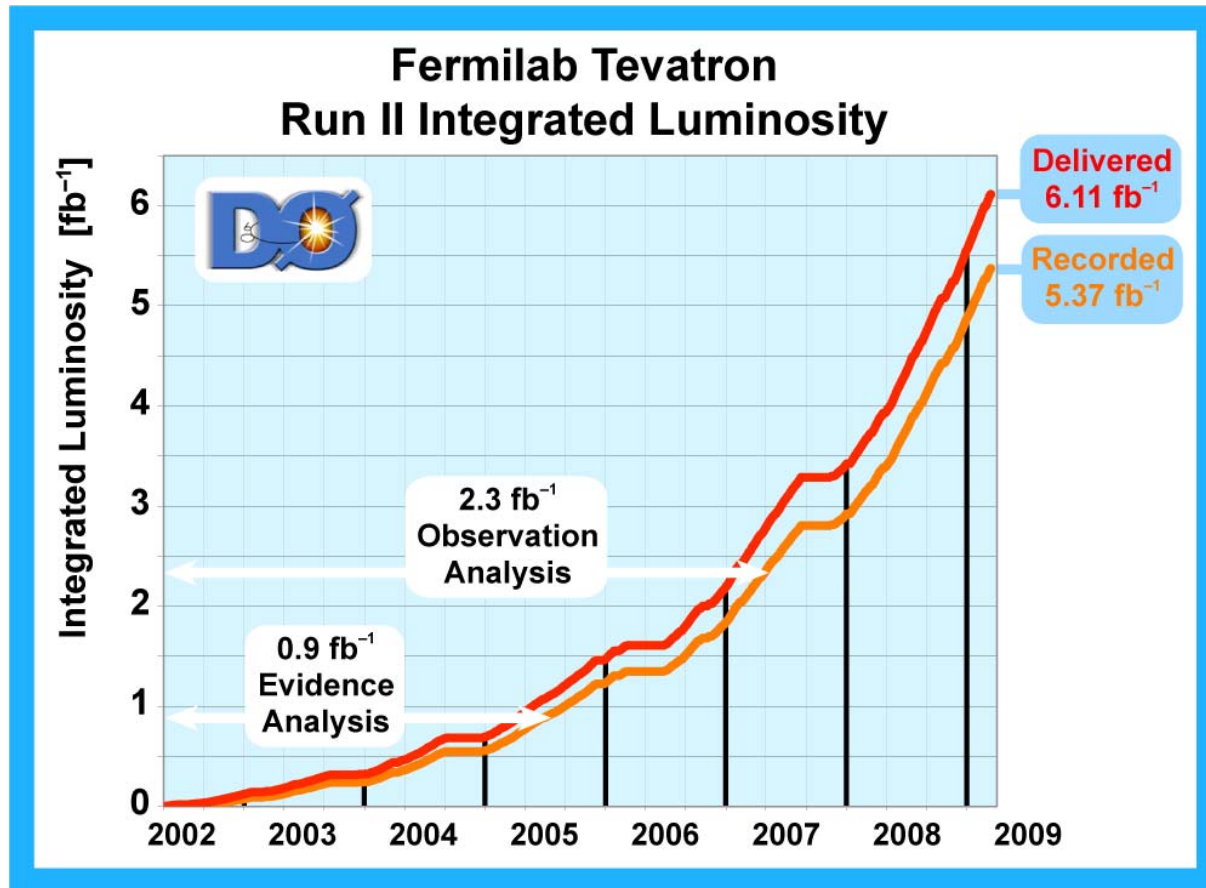
CDF and DØ $tb+qb$ Cross Section



Single Top Cross Section	Signal Significance		CKM Matrix Element V_{tb}
	Expected	Observed	
December 2006 DØ (0.9 fb^{-1})			PRL 98, 181802 (2007)
$4.7 \pm 1.3 \text{ pb}$	2.3σ	3.6σ	$ V_{tb} f_1^L = 1.31^{+0.25}_{-0.21}$ $ V_{tb} > 0.68$ at 95% CL
September 2008 CDF (2.2 fb^{-1})			PRL 101, 252001 (2008)
$2.2 \pm 0.7 \text{ pb}$	4.9σ	3.7σ	$ V_{tb} f_1^L = 0.88^{+0.13}_{-0.12}$ $ V_{tb} > 0.66$ at 95% CL

New chapter: march 4, 2009 both D0 and CDF independently present first observation of single top, 14 years after discovery of top pair production

Dataset



Tevatron performs very well, many thanks!

- 2.3 fb^{-1} for the observation analysis
 - 1.1 fb^{-1} Run IIa dataset, 1.2 fb^{-1} Run IIb dataset

Analysis Flow

Event Selection

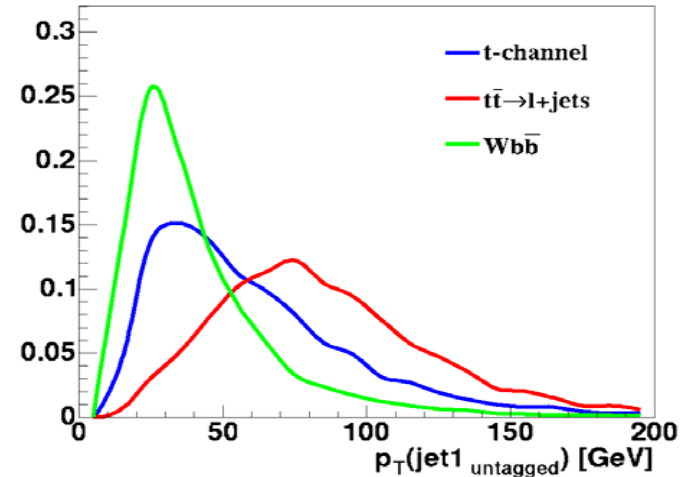
- Select W-like events
- Remove background-like events
- Apply b-tagging and maximize signal acceptance

Separate Signal from Background

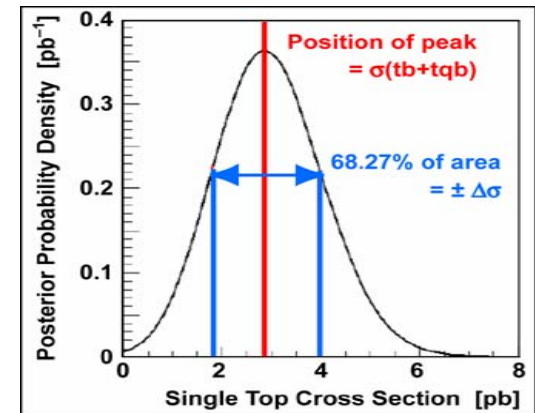
- Compare data with Monte Carlo
- Find discriminating variables
- Multivariate analyses

Determine Cross Section

- Build binned likelihood
- Use shape information
- Bayesian approach

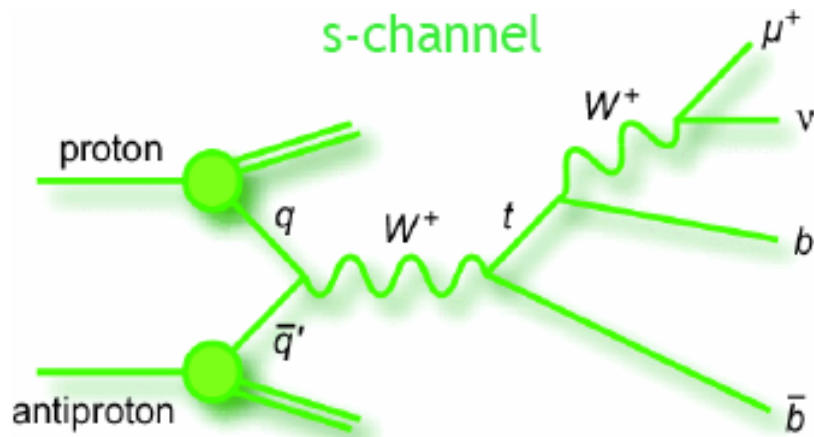


$$L = \frac{P(S)}{P(S) + P(B)}$$

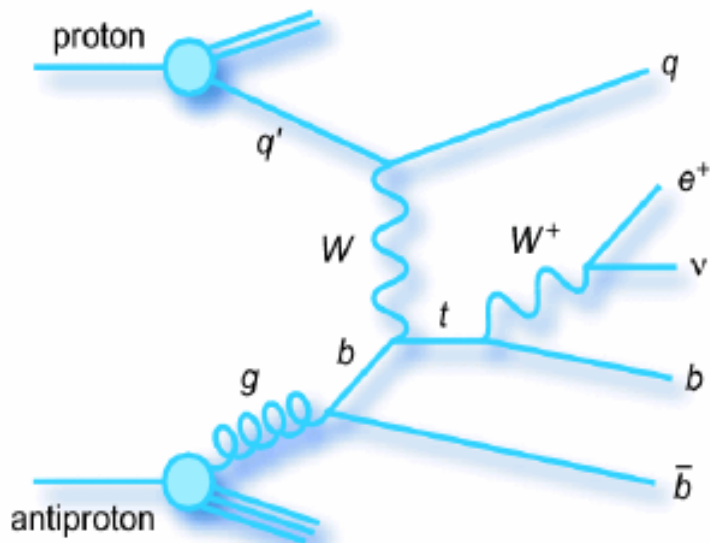


Event Selection

s-channel



t-channel



Event Topology:

- High energy isolated lepton (e or μ from W)
- Missing E_T (ν from W)
- One b-quark jet (from t)
- A light flavor jet and/or another b-jet (One or two b-tagged jets)

Analysis done in 24 separate channels

- Run IIa, Run IIb
- Two Lepton flavors: electron, muon
- Three jet bins: 2 jet, 3 jet, 4 jet
- Two tag bins: 1 b-tag, 2 b-tag

Signal and Background Modeling

Signal:

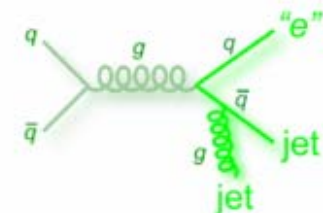
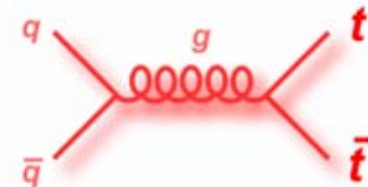
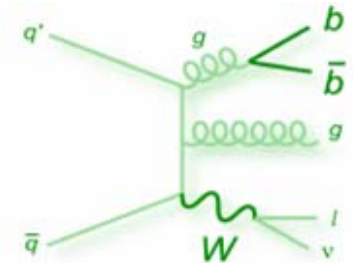
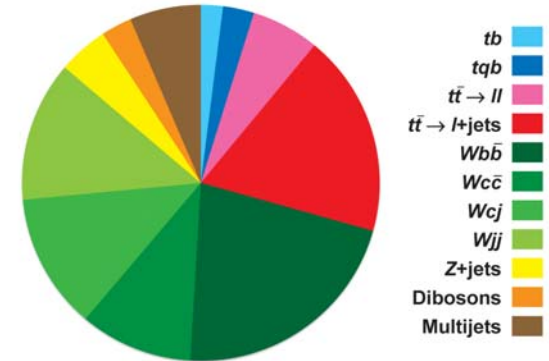
- **CompHEP-SINGLETOP**
- **Distributions agree well with ZTOP & MCFM (NLO)**

Background:

- **W+jets production**
 - **Estimated from data & MC**
 - **Distribution shapes from ALPGEN**
 - **Normalization, W_{cc} and W_{bb} factor from data**
- **Top pair production**
 - **ALPGEN+PYTHIA**
 - **Normalized to NNLO cross section**
- **Multijet events**
 - **Misidentified lepton**
 - **Estimated from data**

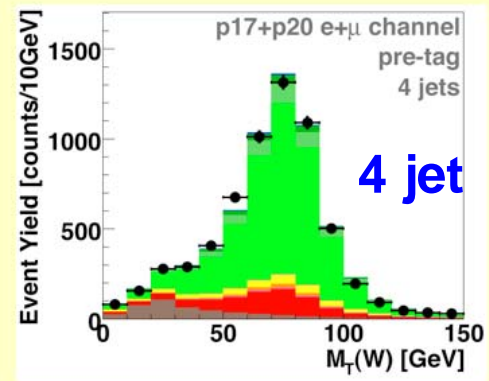
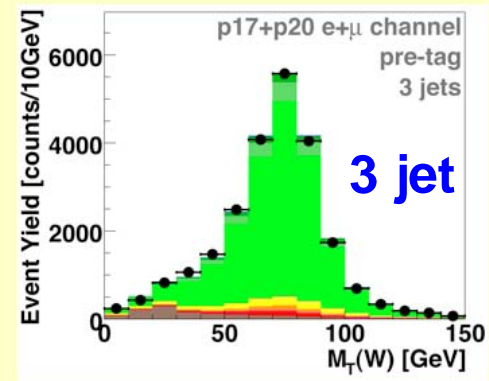
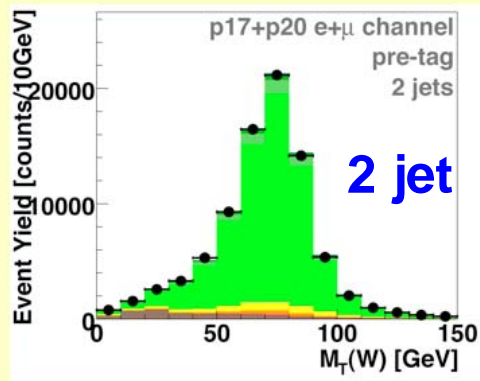
DØ Single Top 2.3 fb⁻¹ Signals and Backgrounds
(All channels combined, after *b*-tagging)

Color scheme

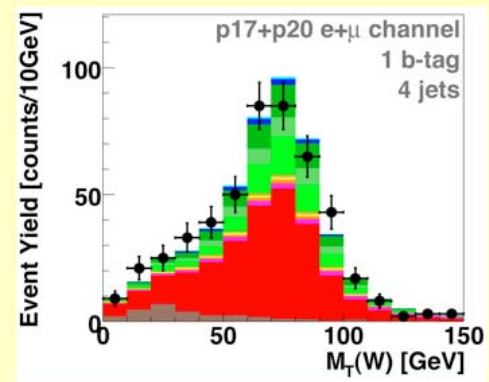
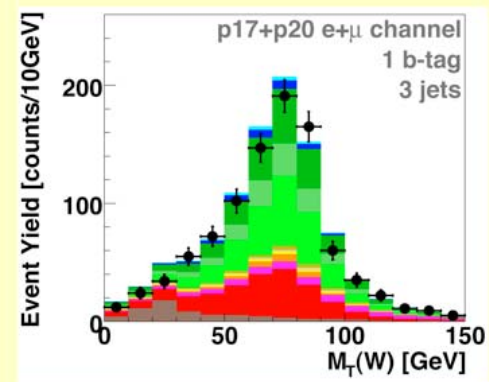
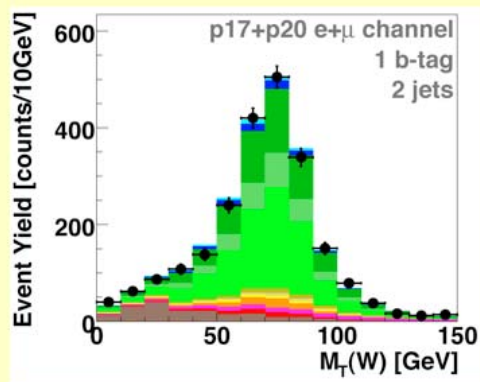


Data/MC Comparison

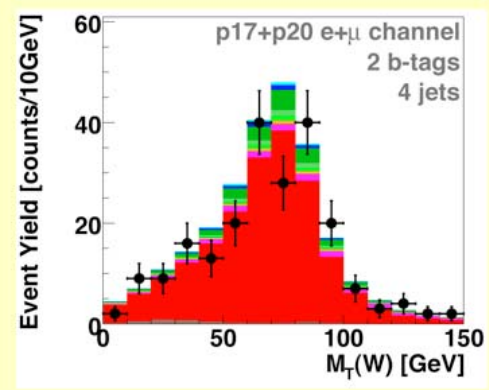
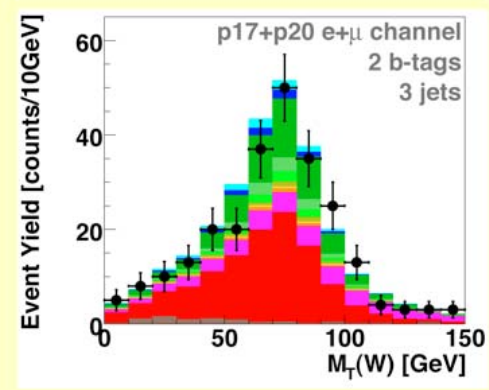
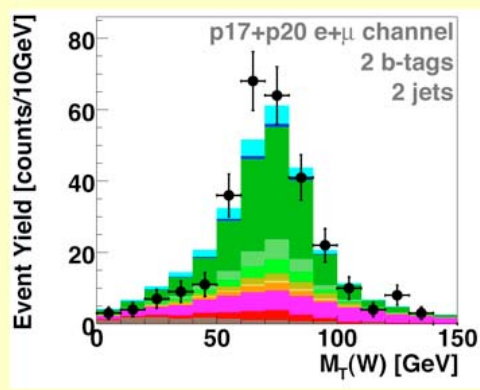
before
b-tagging



1 b-tag



2 b-tags



Event Yields and Systematics

Event Yields in 2.3 fb ⁻¹ of DØ Data			
Electron + muon, 1 tag + 2 tags combined			
Source	2 jets	3 jets	4 jets
s-channel <i>tb</i>	62 ± 9	24 ± 4	7 ± 2
t-channel <i>tqb</i>	77 ± 10	39 ± 6	14 ± 3
<i>W+bb</i>	678 ± 104	254 ± 39	73 ± 11
<i>W+c\bar{c}</i>	303 ± 48	130 ± 21	42 ± 7
<i>W+cj</i>	435 ± 27	113 ± 7	24 ± 2
<i>W+jj</i>	413 ± 26	140 ± 9	41 ± 3
<i>Z+jets</i>	141 ± 33	54 ± 14	17 ± 5
Dibosons	89 ± 11	32 ± 5	9 ± 2
<i>t\bar{t} → ℓℓ</i>	149 ± 23	105 ± 16	32 ± 6
<i>t\bar{t} → ℓ+jets</i>	72 ± 13	331 ± 51	452 ± 66
Multijets	196 ± 50	73 ± 17	30 ± 6
Total prediction	2,615 ± 192	1,294 ± 107	742 ± 80
Data	2,579	1,216	724

Expected number of signal events
less than background uncertainties

Must use multivariate discriminant
to separate signal from background

Signal acceptance

s-channel, *tb*: 3.7 ± 0.5 %

t-channel, *tqb*: 2.5 ± 0.3 %

Systematic Uncertainties		
Ranked from Largest to Smallest Effect on Single Top Cross Section		
DØ 2.3 fb ⁻¹		
Larger terms		
<i>b</i> -ID tag-rate functions (includes shape variations)	(2.1–7.0)% (1-tag) (9.0–11.4)% (2-tags)	
Jet energy scale (includes shape variations)	(1.1–13.1)% (signal) (0.1–2.1)% (bkgd)	
<i>W</i> +jets heavy-flavor correction	13.7%	
Integrated luminosity	6.1%	
Jet energy resolution	4.0%	
Initial- and final-state radiation	(0.6–12.6)%	
<i>b</i> -jet fragmentation	2.0%	
<i>t\bar{t}</i> pairs theory cross section	12.7%	
Lepton identification	2.5%	
<i>Wbb/Wcc</i> correction ratio	5%	
Primary vertex selection	1.4%	

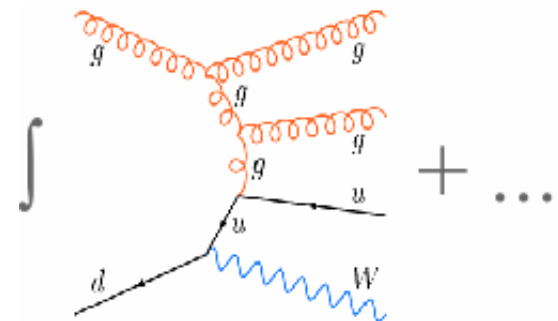
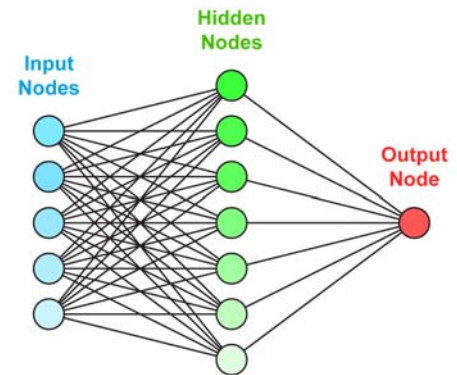
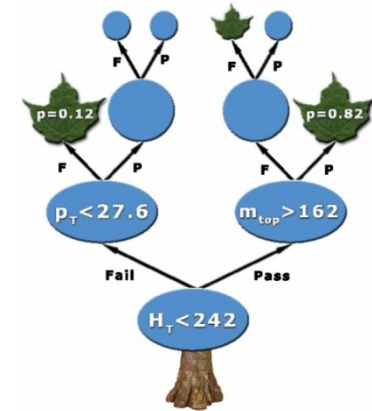
Most systematic uncertainties apply only
to normalization, except jet energy scale
and *b*-tagging which affect shapes

Cross section uncertainties are
dominated by the statistical uncertainty

Multivariate Analyses

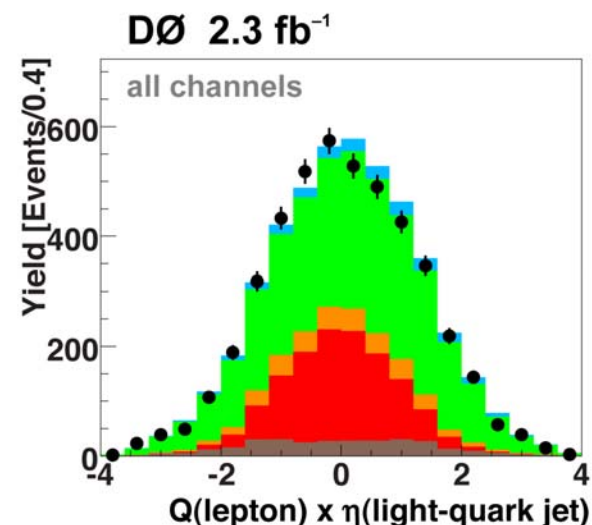
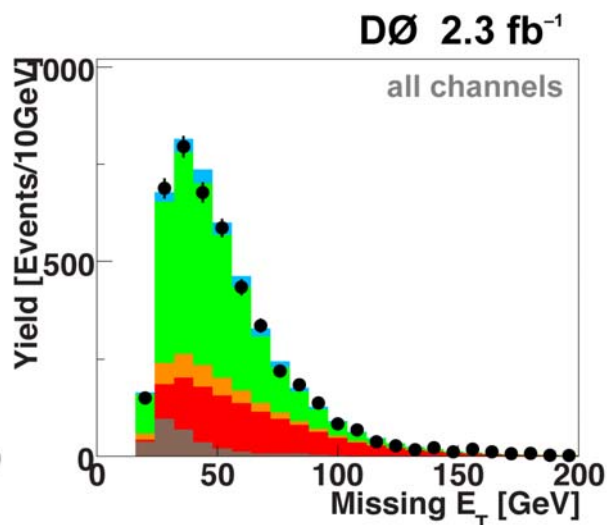
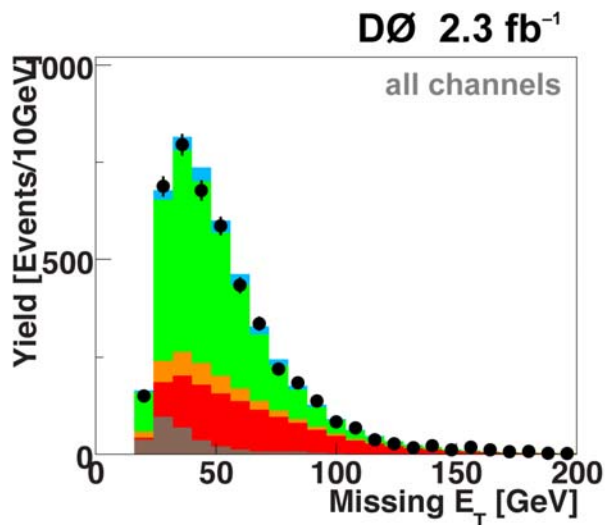
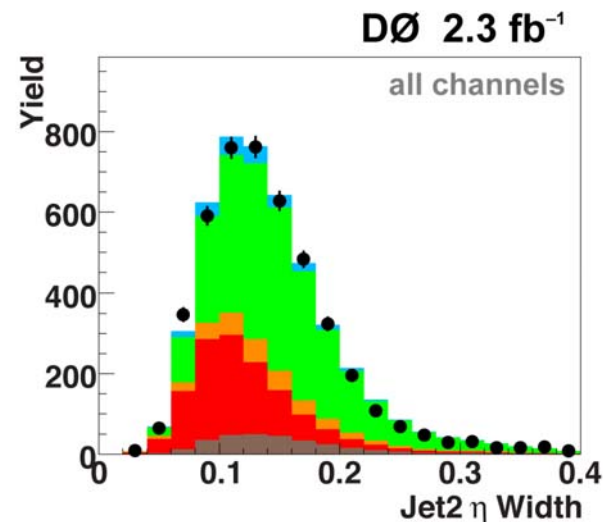
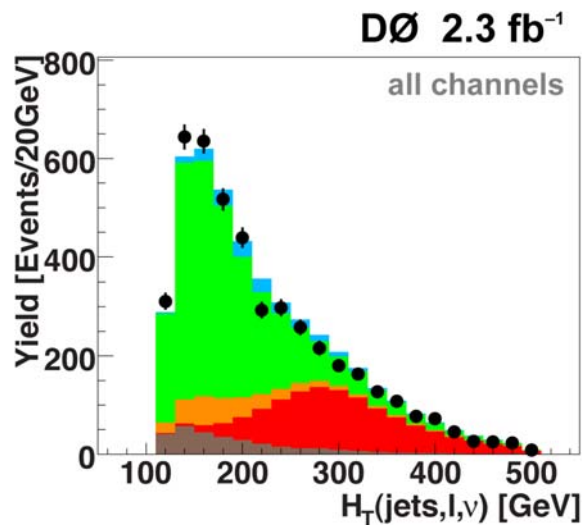
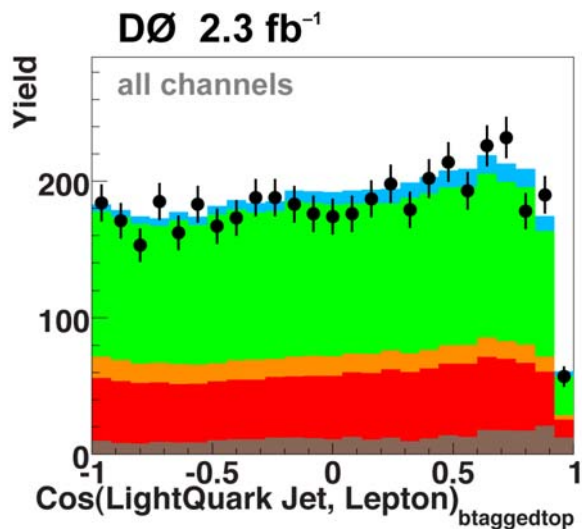
Three methods – “Blind Analyses”: optimizing on expected sensitivity

- **Boosted Decision Trees (BDT)**
 - Recover events that fail in cut-based analysis
 - Common object and event kinematics, angular correlations, jet reconstruction and top quark reconstruction variables
 - Use highest ranked common 64 variables
- **Bayesian Neural Network (BNN)**
 - Average over many neural networks, improving performance
 - Uses best 18-28 variables
- **Matrix Element (ME)**
 - Use Feynman diagrams to compute event probability density for signal and background (2jet: tb , tq , tt , WW , WZ , ggg , wbb , wcg , wgg ; 3jet: tbg , tqb , tqg , $wbbg$, $Wugg$)
 - Split sample $H_T > 175$ GeV improves performance
- **Serve also as cross check of each other**

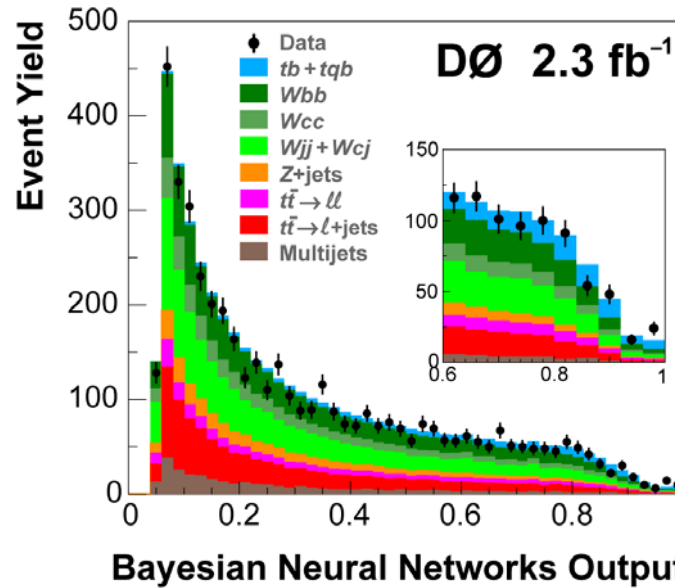
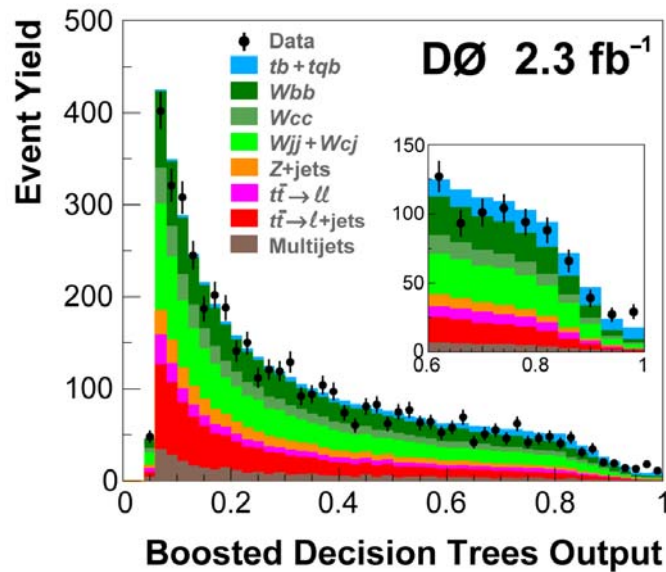


Discriminating Variables

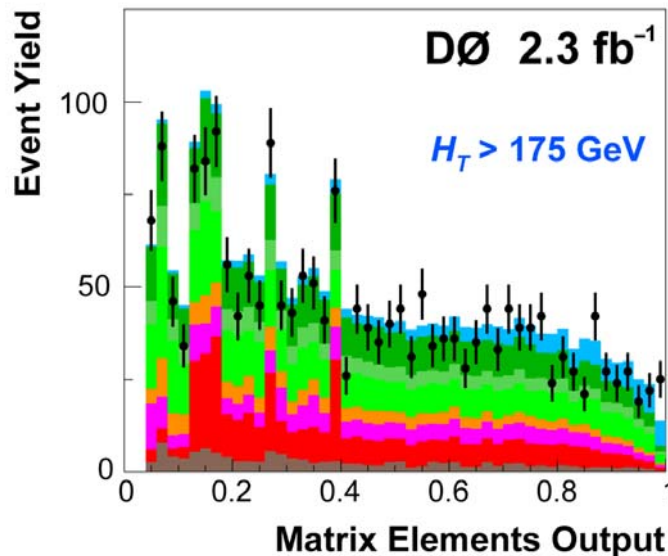
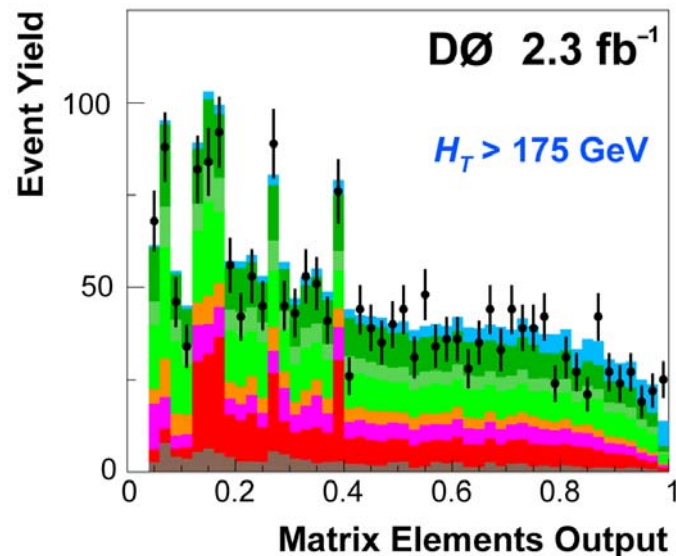
- $tb + tqb$
- $W + \text{jets}$
- Other
- $t\bar{t}$
- Multijets



Multivariate Discriminant Outputs



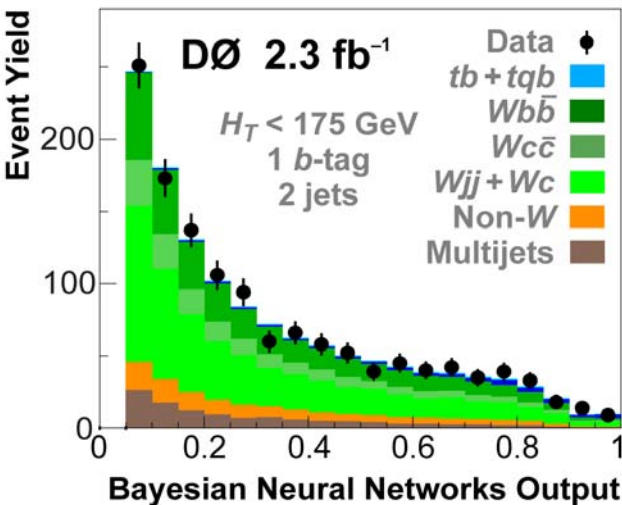
Sum of 24 channels
(illustration purpose,
not used to measure
cross section)



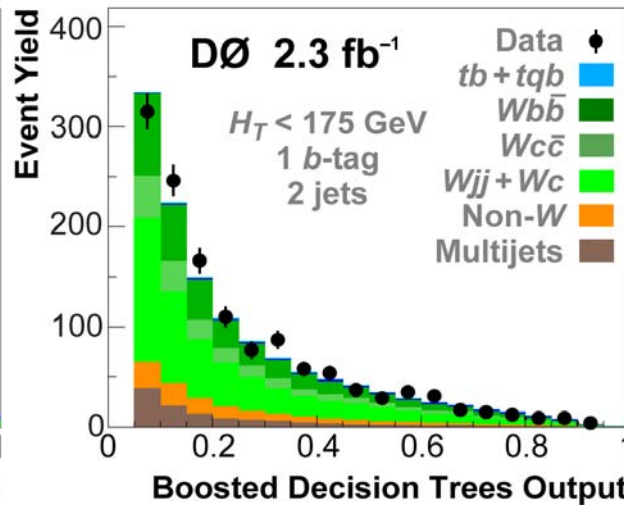
Cross Check Sample

Many cross checks, a few examples shown

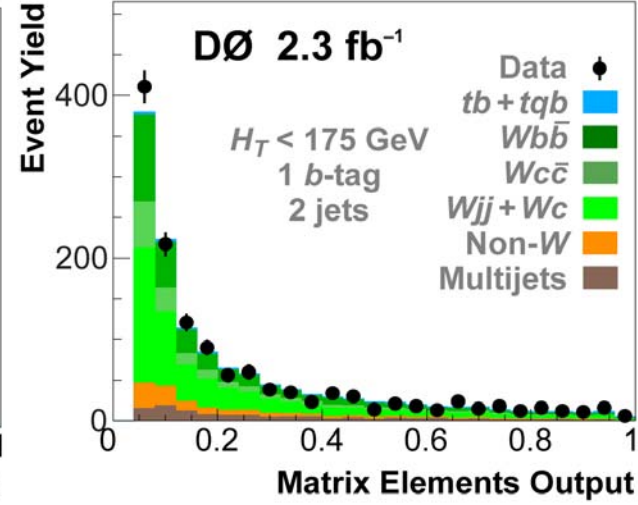
W+Jets Cross-Check Sample



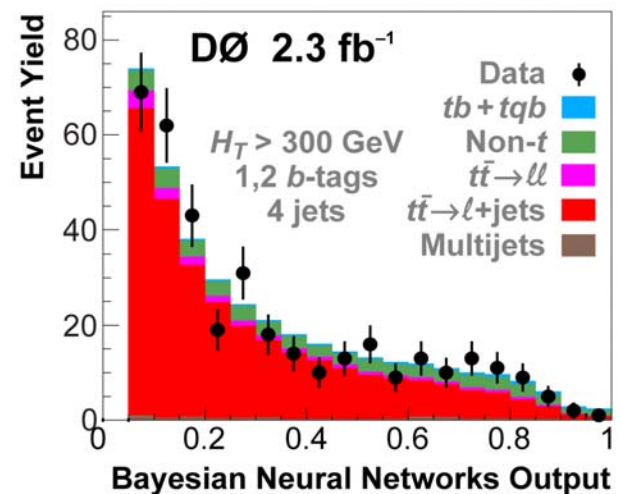
W+Jets Cross-Check Sample



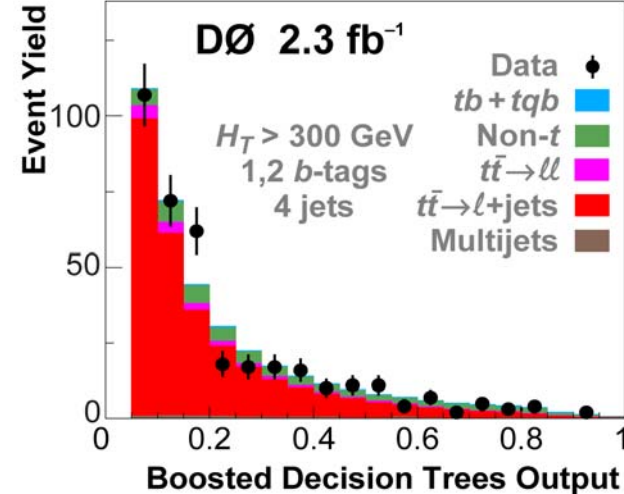
W+Jets Cross-Check Sample



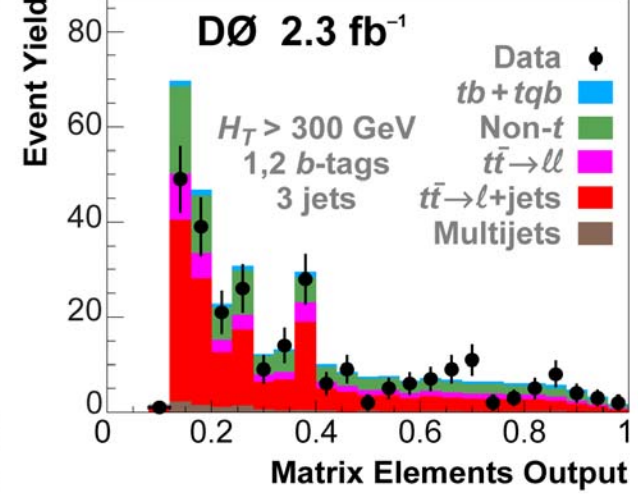
t t̄-Pairs Cross-Check Sample



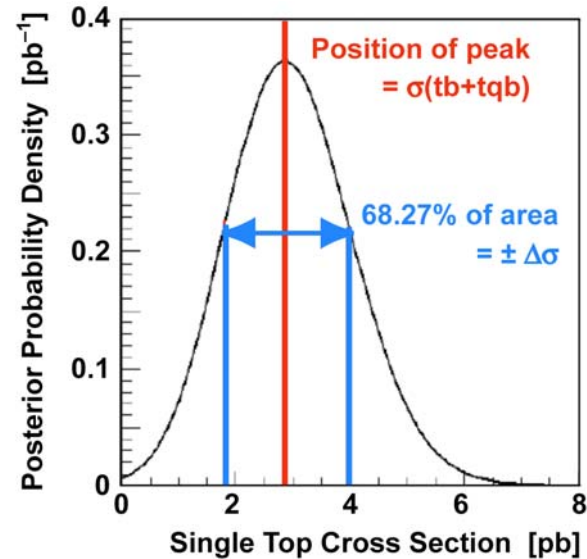
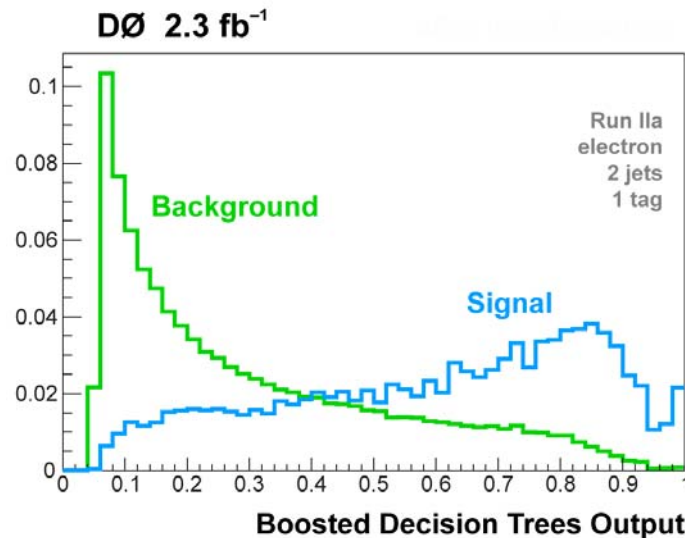
t t̄-Pairs Cross-Check Sample



t t̄-Pairs Cross-Check Sample



Cross Section Measurement

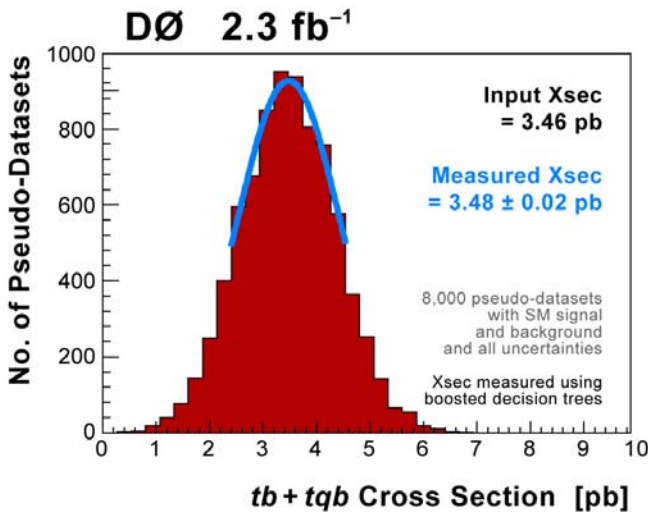
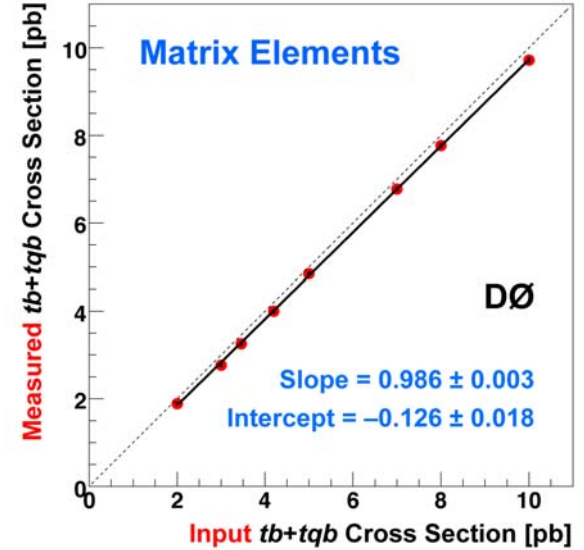
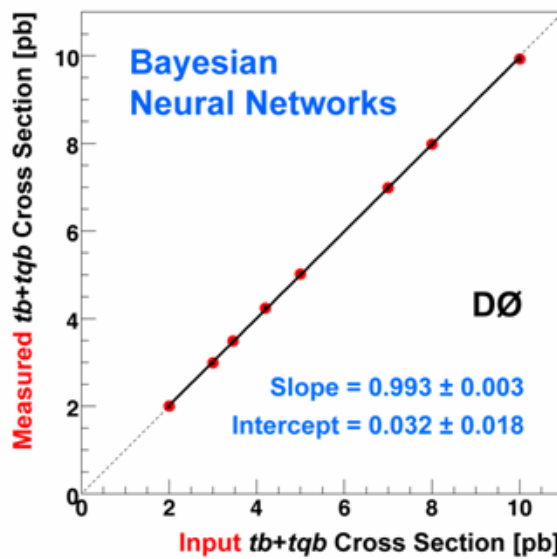
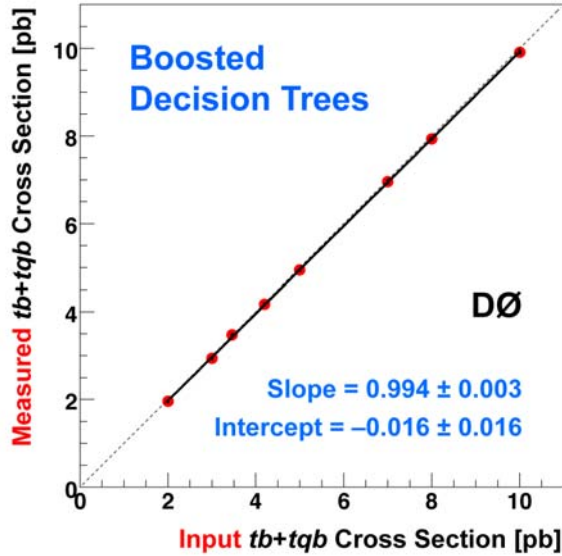


Compute Bayesian posterior probability density as a function of $\sigma(\text{tb}+\text{tbq})$

- Using binned likelihood from discriminant distribution
 - Product of 24 channels
- Flat prior for the cross section
- Integrate over all systematic uncertainties
- Single top cross section is given by the position of the posterior density peak, with 68% asymmetric interval as uncertainty

Linearity Check

Yet another cross check



Check discriminant performance

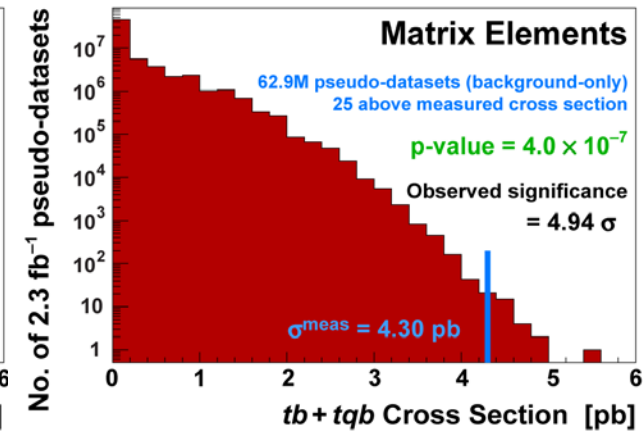
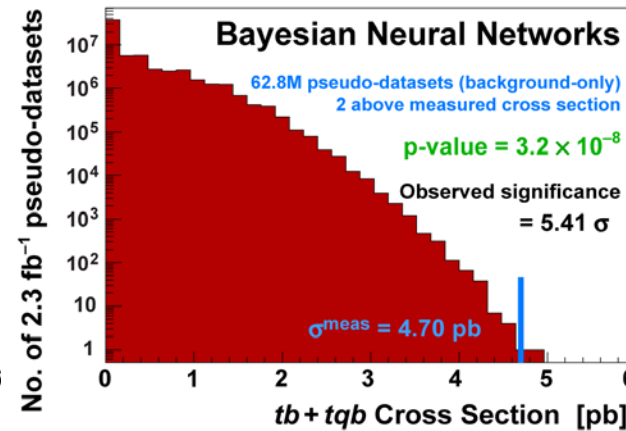
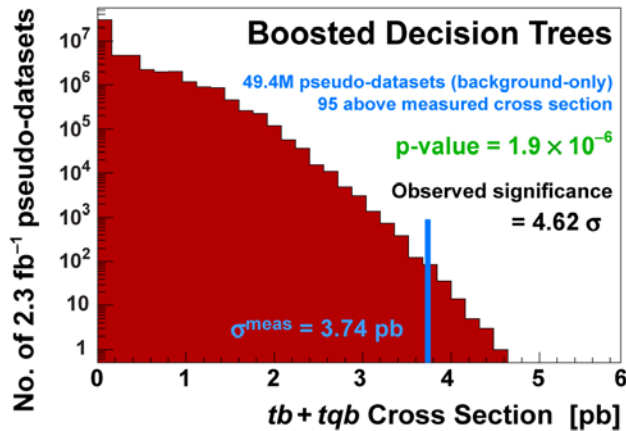
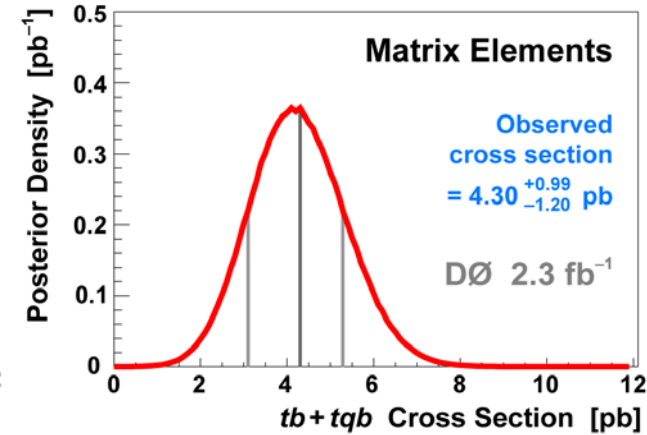
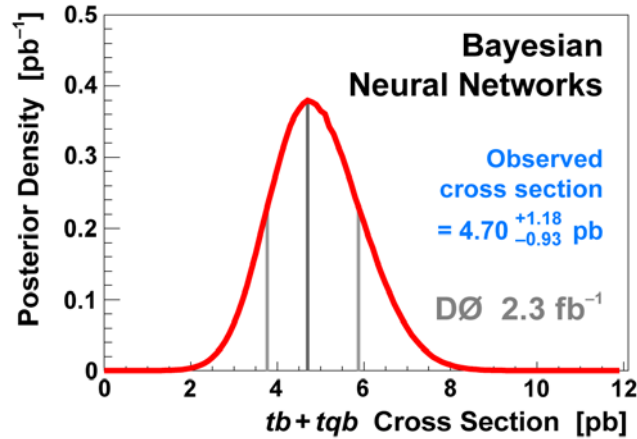
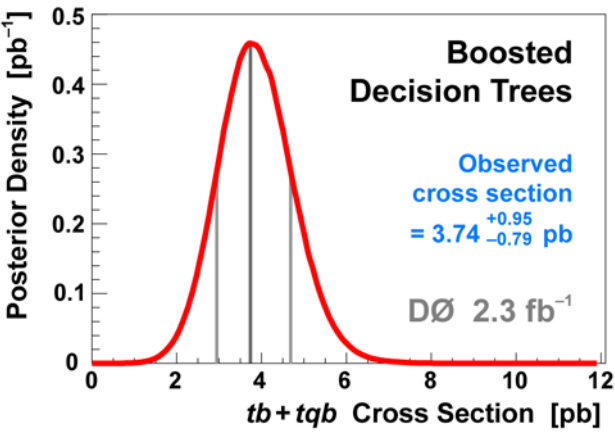
- Measure cross section from ensemble tests
 - Many pseudo-datasets each contains signal and background events and uncertainties as in real data
- Input cross section reproduced with linear response

Significance

- **P-value: assuming a null hypothesis, what's the probability to get a value equal to or greater than the value observed (cross section)**
- **Use a large ensemble of background-only pseudo-datasets. Each such dataset corresponds to 2.3 fb^{-1} data without any single top including all systematic uncertainties and all correlations**
- **The single top cross section was measured in each such pseudo-dataset in exactly the same way as we measure in our real dataset.**
- **Measure the fraction of background-only datasets in which we derive at least the SM cross section (**expected significance**), or at least the observed cross section (**observed significance**).**

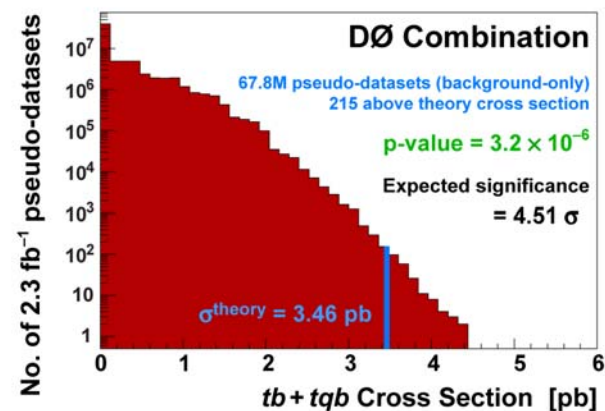
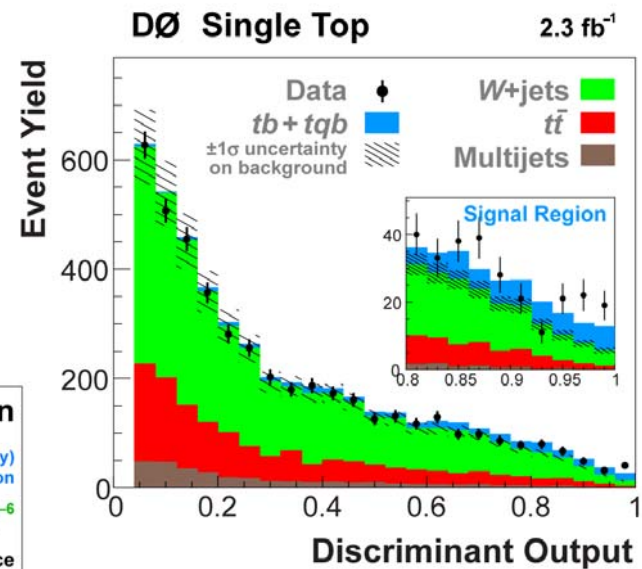
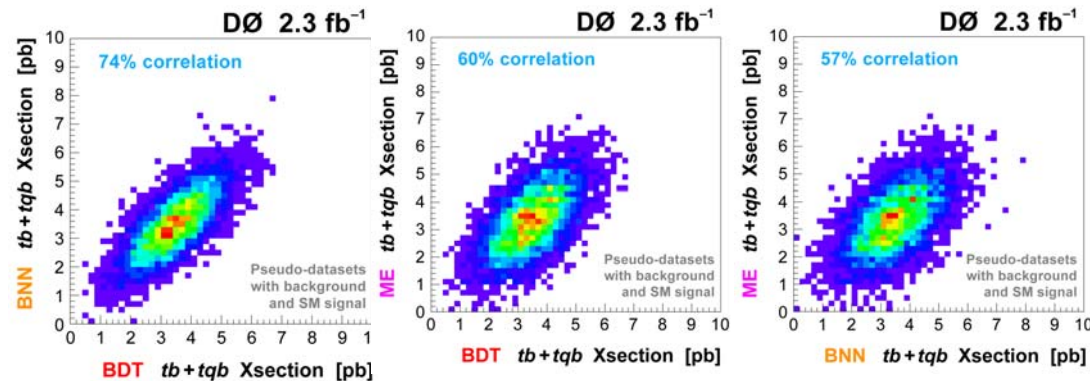
Expected and Observed Results

	Boosted Decision Trees		Bayesian NN		Matrix Element	
	Exp.	Obs.	Exp.	Obs.	Exp.	Obs.
$\sigma(s+t)[\text{pb}]$	$3.61^{+0.95}_{-0.89}$	$3.74^{+0.95}_{-0.79}$	$3.60^{+1.02}_{-0.90}$	$4.70^{+1.18}_{-0.93}$	$3.60^{+1.10}_{-0.96}$	$4.30^{+0.99}_{-1.20}$
significance	4.33	4.62	4.08	5.41	4.11	4.94



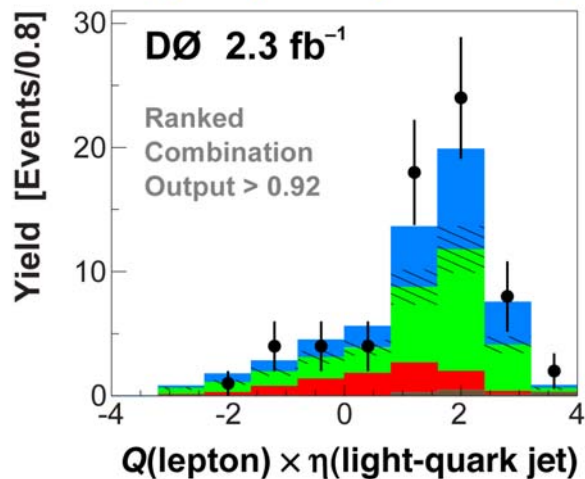
Combination of Three Analyses

- Three analyses give consistent results
- Taking advantage of all information: a combination should lead to a more precise measurement and increased signal sensitivity
- Use a BNN to perform the combination. It takes BDT, BNN and ME discriminants as input and builds a “super discriminant”
- Best sensitivity: 4.5σ expected significance!

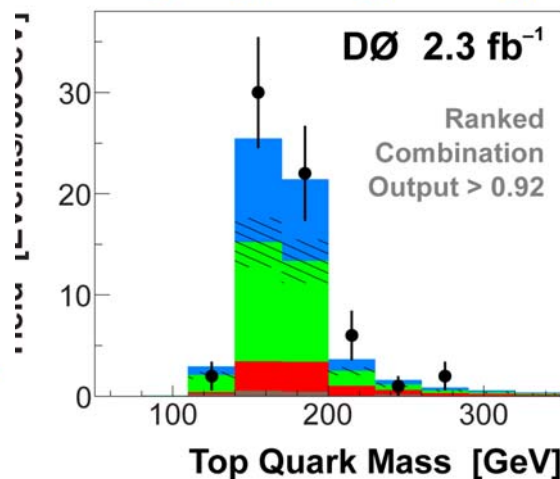


Combination Result

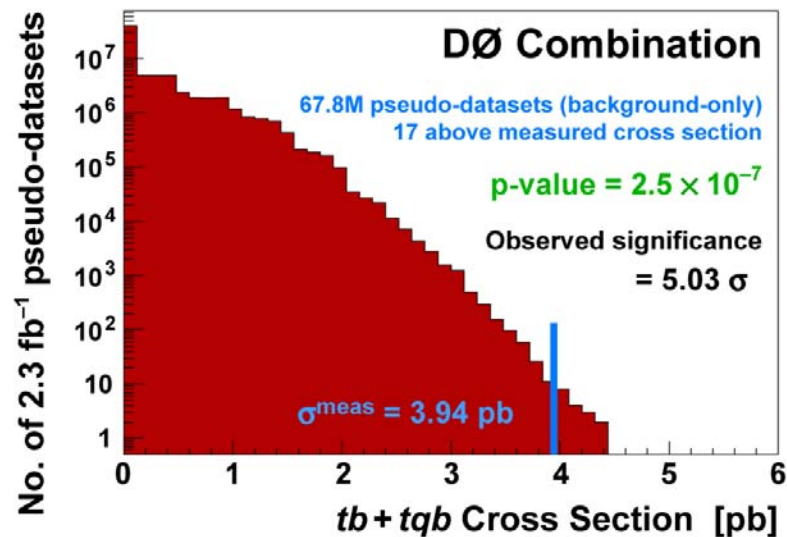
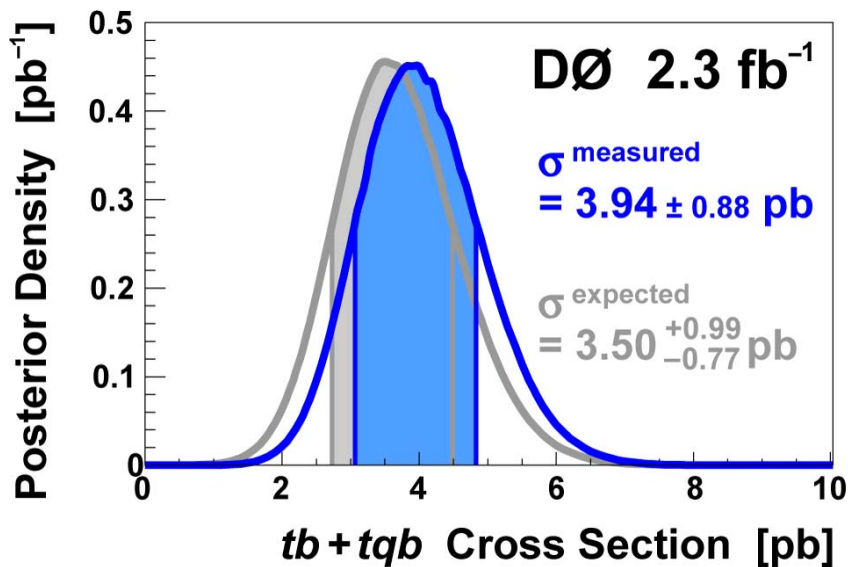
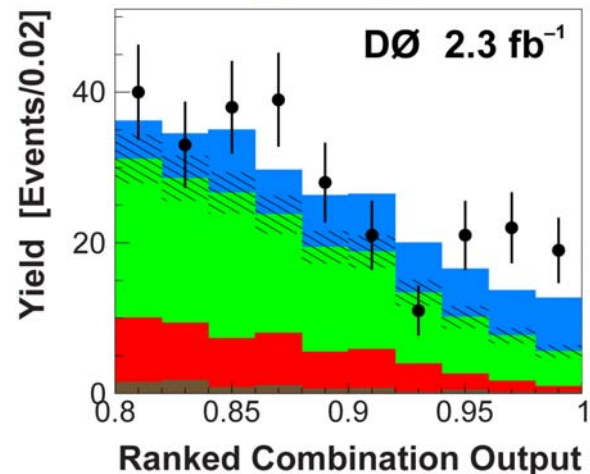
High Signal Region – $Q \times \eta$



High Signal Region – m_{top}

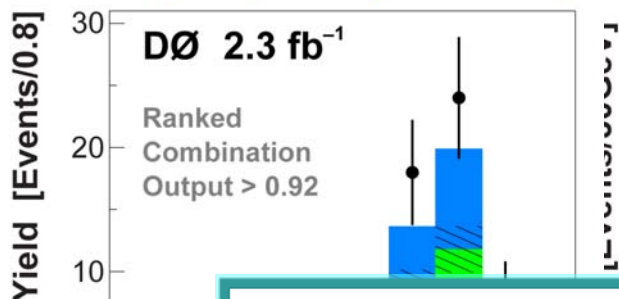


Signal Region

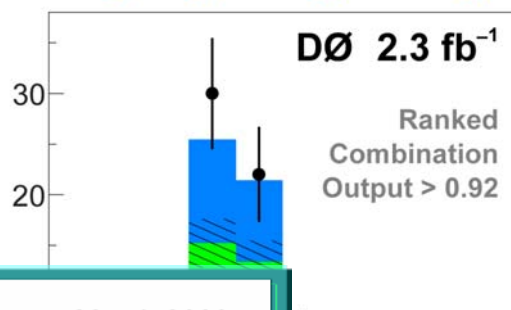


Combination Result

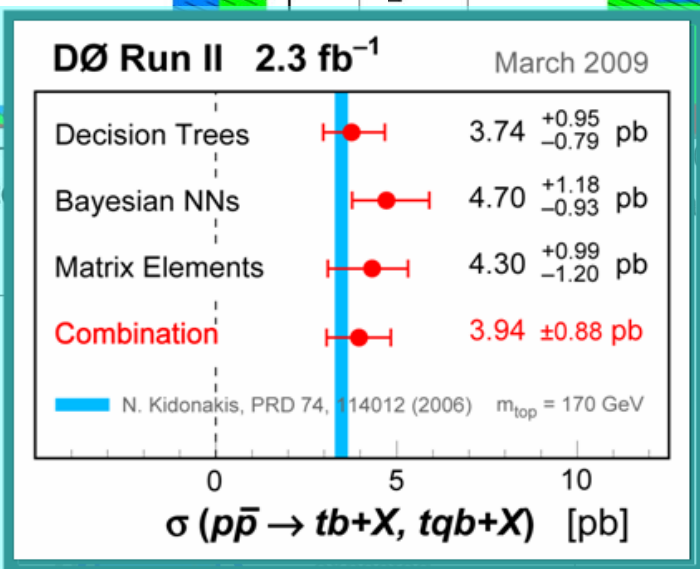
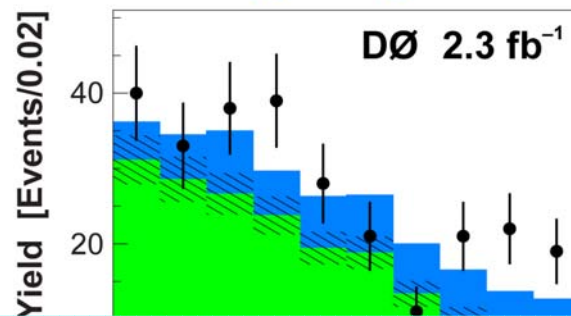
High Signal Region – $Q \times \eta$



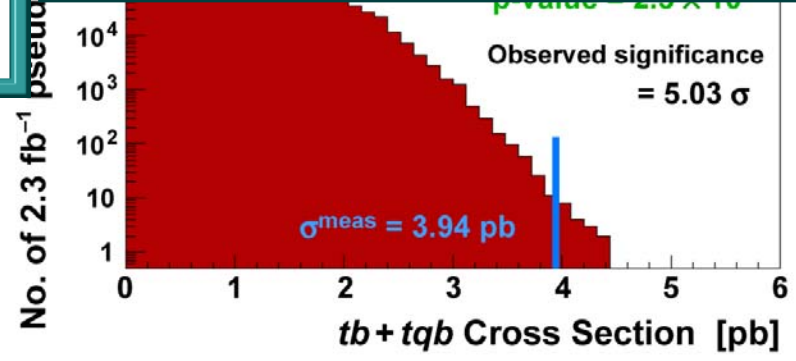
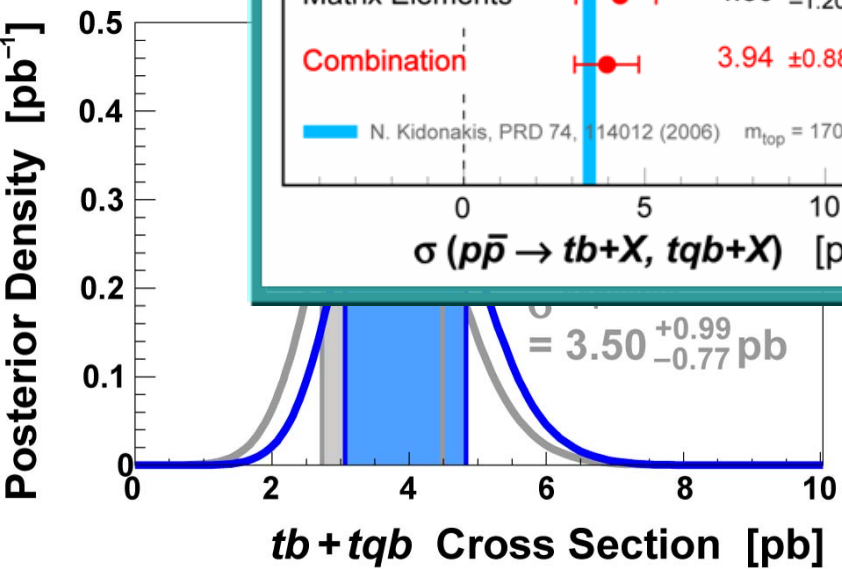
High Signal Region – m_{top}



Signal Region



• **Combined result using BNN method:**
3.94 ± 0.88 pb with 5.03 σ significance!



Direct measurement of $|V_{tb}|$

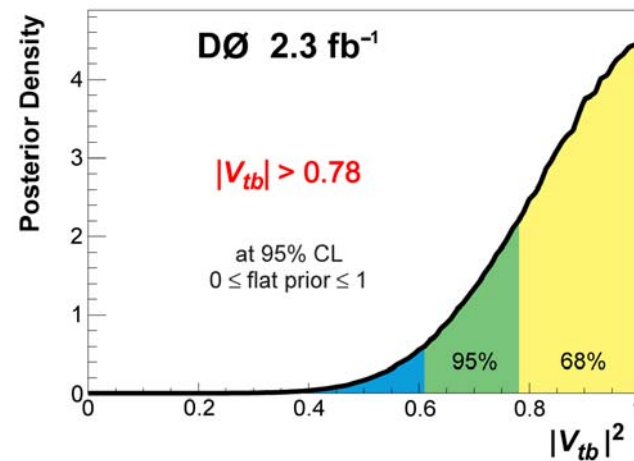
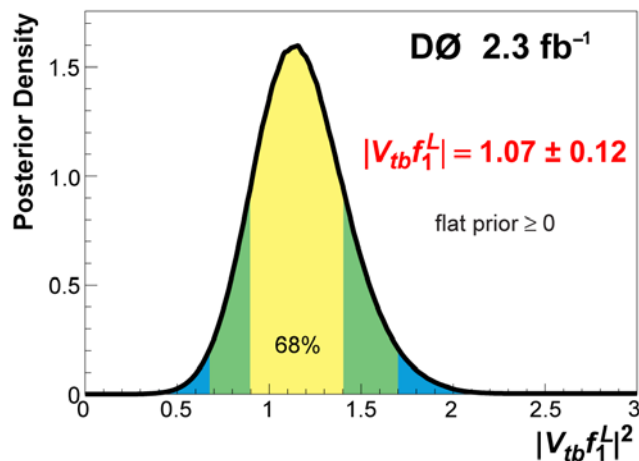
Once we have a cross section measurement, we can make direct measurement of $|V_{tb}|$

- Calculate posterior in $|V_{tb}|^2 : \sigma \propto |V_{tb}|^2$

Assume standard model production:

- Pure V-A and CP conserving interaction: $f_1^R = f_2^L = f_2^R = 0$
- $|V_{td}|^2 + |V_{ts}|^2 \ll |V_{tb}|^2$
- Additional theoretical errors included (top mass, scale, PDF etc...)

Measurement does not assume 3 generations or unitarity



$0.78 < |V_{tb}| \leq 1$ at 95% CL (assuming $f_1^L = 1$)

Summary

Observation for single top production at DØ !

- Submitted to PRL (arXiv:0903.0850)

Summary of results:

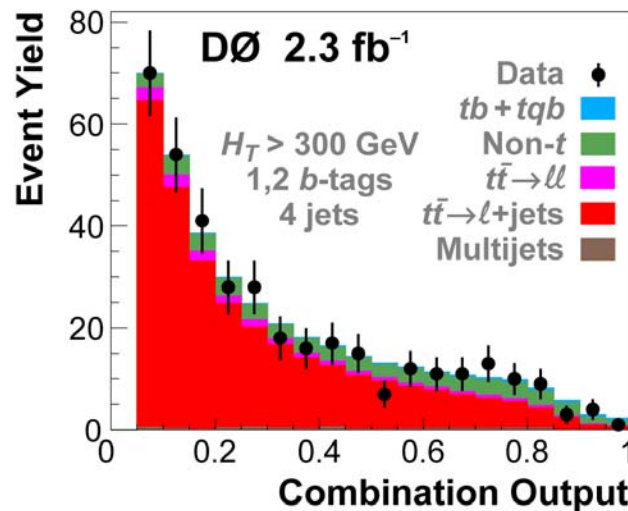
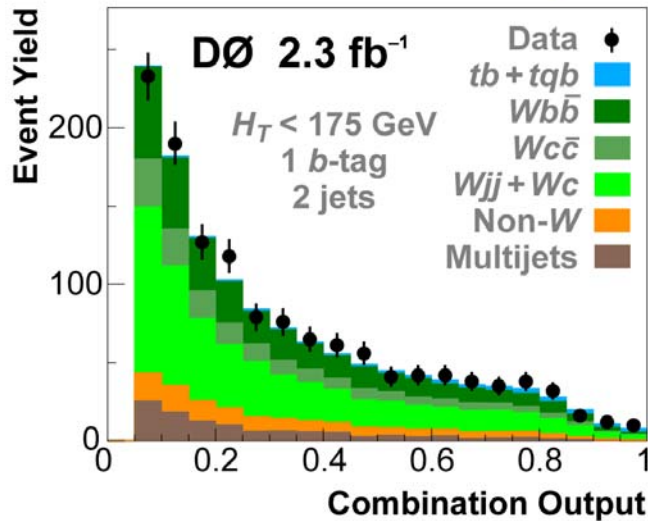
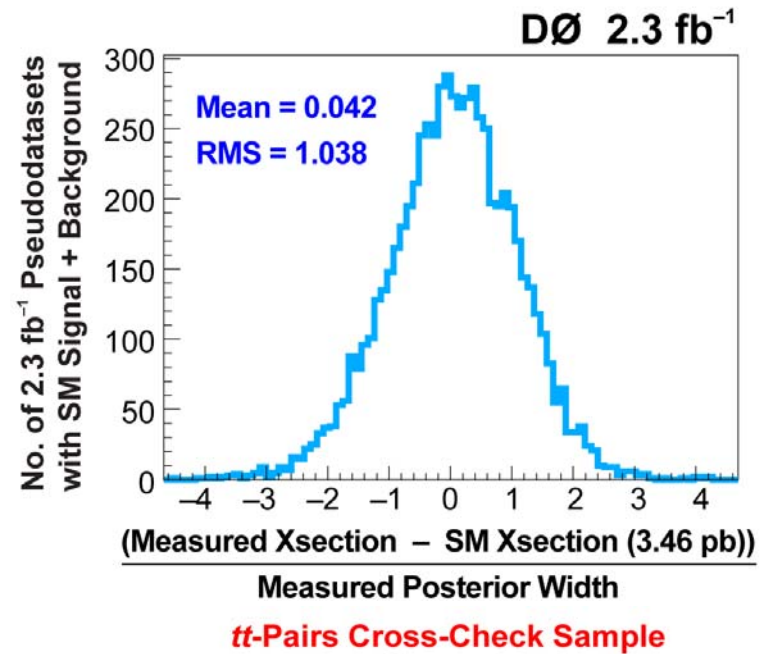
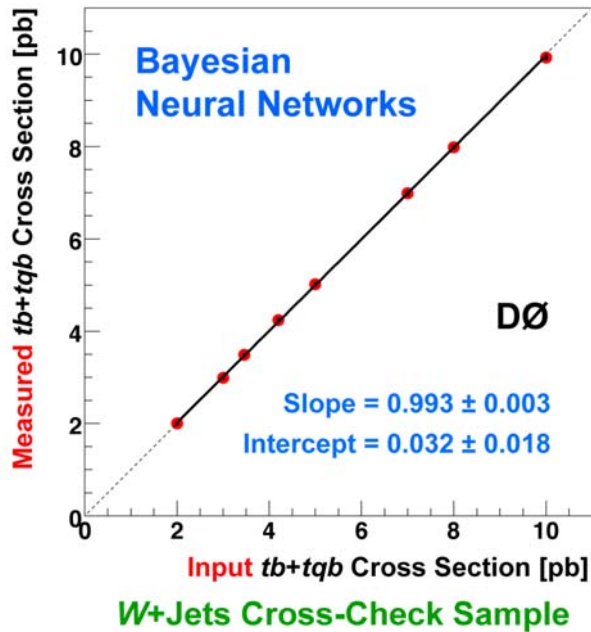
DØ 2.3 fb ⁻¹ Single Top Results			
Analysis Method	Single Top Cross Section	Significance	
		Expected	Measured
Boosted Decision Trees	3.74 ^{+0.95} _{-0.79} pb	4.3 σ	4.6 σ
Bayesian Neural Networks	4.70 ^{+1.18} _{-0.93} pb	4.1 σ	5.4 σ
Matrix Elements	4.30 ^{+0.99} _{-1.20} pb	4.1 σ	4.9 σ
Combination	3.94 ± 0.88 pb	4.5 σ	5.0 σ

$$|V_{tb}f_1^L| = 1.07 \pm 0.12$$

$$|V_{tb}| > 0.78 \text{ at } 95\% \text{ CL}$$

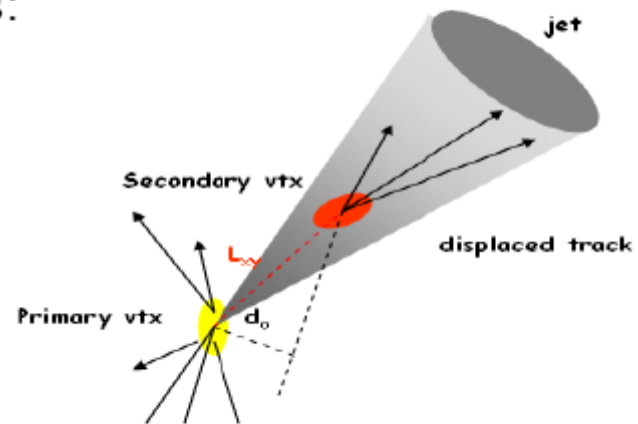
Backup

Combination Cross Check



b-jet identification (b-tagging)

- Separate b -jets from light-quark and gluon jets to reject most W +jets background
- DØ uses a neural network algorithm with seven input variables based on impact parameter and reconstructed vertex
- Two operating points used in analysis:
 - TIGHT ($\epsilon_b = 40\%$, $\epsilon_c = 9\%$, $\epsilon_l = 0.4\%$)
 - LOOSE ($\epsilon_b = 50\%$, $\epsilon_c = 14\%$, $\epsilon_l = 1.5\%$)
- Leading b -jet $p_T > 20$ GeV
- Define two exclusive samples
 - EqOneTag: 1T, no L
 - EqTwoTag: 2L (was 2T; $\approx 50\%$ gain)
- Uncertainties dominated by variation in data samples used to measure the efficiencies.
- Smaller contribution from MC sample dependence

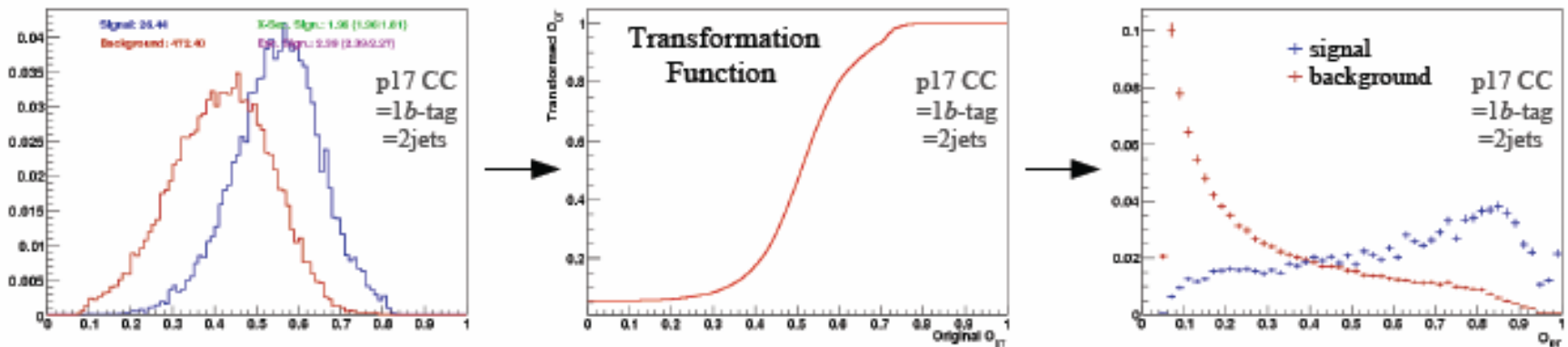


MC splitting and Binning Transformation

MC samples were split into three equal-sized independent subsets

- training sample : used to train the BDT, BNN and ME
- testing sample : used for testing purposes (and also to train the combination BNN)
- yield sample : used to measure the cross section and make all plots

BINNING TRANSFORMATION: Used for BDT, BNN & Combination



Same-sized bins (left) suffer from low entries, a bin can have signal but no background. Transformation (center) ensures a minimum number of background events in each bin. Transformed quantity (right) stays proportional to the probability of being signal.

ME: bins are ordered in S/B, and sample is split in two H_T regions